NEURAL NETWORK GRAPH CLASSIFIER

ANTITI

ANTHUILL

ALITTITITIVIVA

Patrick Spohr

OUTLINE

03 Motivation – *Why choose this project and what literature is there?*

11 Objective – *What do I want to accomplish?*

18 Data – *Where am I getting the data?*

CIFAR -10 Images

- Scraped Graphs
- **Generated Graphs**

28 Methods – *How do I achieve my objectives?*

- ^S CNN, TensorFlow, and Python
- Simple Graph Classifiers
- **S** Distribution Graph Classifiers
- **54 Results –** *Can the models accurately classify the images?*
	- Simple Graph Classifiers
	- **S** Distribution Graph Classifiers

81 Conclusion – *What are my final thoughts and further research?*

J A N

 $\boldsymbol{\omega}$

 \mathbf{v} \circ \mathbf{v}

MOTIVATION

Graphs are everywhere…

And can depict many things…

 $\overline{4}$

<mark>a sa sa</mark>na

I like graphs because like paintings, they too can tell a story.

By Kaj Tallungs - Own work, CC BY-SA 4.0, https://commons.wikimedia.org/w/index.php?curid=107393925 Δ

Being able to quickly identify graphs is important as there are many to choose from. *[Li]*

 \mathbf{z} \mathbf{z}

2 3 ,

 2024

Graphs make it quick and easy to interpret a large amount of information.

McDonald's Annual 2022 Report has 73 pages and 8 graphs. [McDonald's]

We Are Stronger Than Ever

7

 \mathbf{z}

M O T I V AT I O N \mathbf{z} **2 0 2 4 N N G R A P H C L A S S I F I E R** \overline{z} <u> ଦ</u> What's the possible use case of being able to identify graphs in **McDonald's Annual Report**? $\pmb{\pi}$ \triangleright $\mathbf{\overline{v}}$ \mathbf{r} Ω \triangleright \mathfrak{c} \bullet $\frac{1}{2}$ **Identify** \rightarrow **Locate** \rightarrow **Organize** $\overline{\mathbf{m}}$ \mathbf{z} What type of graph? Is it a graph? Where are they? 8**J A N** Report pie chart, bar chart… Yes **2 3 ,** \mathbf{N} \circ Pages 13, 15, 16, 25 Classify graph Organize and show \overline{z} **MY FOCUS**

I chose to classify the distributions in the graph since I didn't find any similar projects.

[SandhyaKrishnan02]

Probability Distributions Coded by

by

Rasmus Bảảth (2012) σ_{2} σ_1 a, b $df₂$ df_1 μ u t distrib. uniform beta normal θ S.R α, β gamma inv-gamma Bernoulli binomial beta-binomial p, r σ df noncentral chi-square folded t chi-square neg. binomial **Poisson** λ df_1, df_2 λ τ_2 τ_{1} double exp. shifted exp. F dist. exponential gen. gamma $μ, σ$ v, λ τ_1 σ μ μ Pareto logistic log-normal Weibull categorical

 n_1 , n_2 , m_1 , ψ

noncentral

hypergeom.

half-Cauchy

 σ_2

 μ

r-cens.

normal

 σ

half-normal

 σ_1

C

 σ_2

 \mathbf{C}

 σ_1

μ

I-cens.

normal

 γ_2

 x_0

Cauchy

 γ_1

p, n

 k, λ

 r, λ, b

 σ

half-t

df

 \mathbf{z}

 9

 \mathbf{z} \overline{z}

J A N

2 3 ,

 \mathbf{N}

 \circ

 $\bar{\mathbf{v}}$

 \blacktriangle

L IT ERAT URE REVIEW

Review of neural networks and image classification

While there are many image classification research, I didn't find anything regarding the classification of graphs with probability distributions.

CS231n. (2023). (Stanford University) Retrieved January 2024, from Convolutional Neural Networks for Visual Recognition: https://cs231n.github.io/convolutional-networks/

O'Shea, K., & Nash, R. (2015). An Introduction to Convolutional Neural Networks. Aberystwyth University. Retrieved from https://arxiv.org/abs/1511.08458

J A N

10

2 3 ,

 \mathbf{v} \circ $\overline{\mathbf{v}}$

OBJECTIVE

 \mathbf{z}

 \overline{N} \blacktriangle

<u>e e de l</u>

Natural Images Data

C I F AR - 1 0

Getting natural images is easy because of quantity and quality of sources.

[Krizhevsky]

14

 \mathbf{z}

J A N

2 3 ,

15

 $\overline{\mathbf{m}}$

 \mathbf{z}

J A N

2 3 ,

Where can I get the graph images? kaggle.com

Temperature in degrees Fahrenheit

O OUISI O NO

150 200 250

 $100 -$

 300

[SunEdition]

O B J E C T I V E Hurdles to Overcome

How to determine the type of a graph?

Bar chart, line chart, histogram, and log-normal distribution

Two charts in one image Two charts in one images

Stacked bar chart **Horizontal bar chart** Vertical bar chart

\mathbf{z} **2 0 2 4 N N G R A P H C L A S S I F I E R** \mathbf{z} Ω \mathbf{z} \triangleright $\mathbf{\overline{v}}$ \mathbf{r} Ω \overline{r} \triangleright \bullet \mathfrak{c} \equiv \mathbf{m} $\mathbf m$ \mathbf{z}

16

 \mathbf{N}

 \circ

 $\bar{\mathbf{v}}$ \blacktriangle

[SunEdition]

The Biggest Hurdle…

Could not find suitable dataset with probability distribution graphs. **# Solution One - Scraped**

> Scrape the graphs from a website, but I would run into the issue of where to scrape and how to label them time efficiently.

Solution Two - Generated

Use a graphing library to generate randomized graphs.

This is the most time effective solution that will lead to hopefully similar results.

17

 \mathbf{N} \circ \mathbf{N}

DATA

D AT A

3 Data Sources

CIFAR -10

Natural images of different types of objects, animals, and people

Scraped Graphs

Graph dataset scraped from various sources which weren't stated.

Generated Graphs

Graphs with different probability distributions.

Created using a language library.

 \blacktriangle

19

SIFIE

 \overline{z}

 \mathbf{z} \overline{z} <u> ଦ</u> $\pmb{\pi}$ \blacktriangleright $\mathbf{\bar{v}}$ \mathbf{r} Ω \blacksquare A S

Natural 32x32

10 Classes – airplane, automobile, bird,

cat, deer, dog, frog, horse, ship, and truck

<u>ana</u>

D AT A S c r a p e d G r a p h s

Scraped Overview (SCP)

 \mathbf{z} \mathbf{z}

 \mathbf{S} \triangleright

<u> Tanzania (</u>

D AT A Generated Graphs

Generated Overview (GEN)

Count – 8,000

Format - JPG

norm: normal d

Updated

 \mathbf{z} \mathbf{z} Ω

Dimensions – 32x32, 115x86, 153x115

exp_199.jpg

Randomized Design

Color – RGB (0-1 for matplotlib)

Fig and Face – RGB but biased to white

Histogram – Yes/No

Line – Yes/No

Line Style – Solid/Dash

Text – random lorum ipsum

Text Size – random

M ET HO DS

Generated Graphs

Generated Graph Design

N N

G R A P H

 Ω Ē

C L A S S I F I E R

 \sim

 \blacksquare

23

J A N

 $\boldsymbol{\omega}$

Density function parameters – random *https://github.com/p-spohr/NN-Graph-Classifier/tree/main/graph_generators*

NICE VS DUD GRAPHS

G e n e r a t e d G r a p h s

exp_146.jpg downlognorm_287.jpg norm_226.jpg norm_226.jpg unif_1144.jpg

J A N

 $\boldsymbol{\omega}$

N N

 Ω

G R A P H

£

 Ω

 $\overline{}$

C L A S S I F I E R

 ω

킆

 \mathbf{z}

 \overline{a}

mauris aliquet lectus orci ac eu tempor ultricies ultrices vestibulum porttitor 0.175 0.25 1.0 0.150 0.8 60.20 0.125 0.100 $\frac{6}{9}$ 0.6 0.15 id en 0.075 0.4 0.10 0.050 0.2 0.025 0.05 $0.000 0.0$ $\frac{1}{3}$ $\frac{1}{10}$ $\frac{1}{10}$ $\frac{1}{20}$ $\frac{1}{20}$ $\frac{1}{20}$ $\frac{1}{20}$ $\frac{1}{20}$ $\ddot{\mathbf{0}}$ 30 0.00 $\overline{\mathbf{3}}$ $\overline{2}$ $\overline{4}$ -100 -50 100 150 200 -2 $^{\rm -1}$ 50 maximus tortor elementum donec exp_31.jpg down down down and determines the lognorm_759.jpg down and the morm_1506.jpg down and the exponent

<u>a sa sa</u>

M E T HO D S

G e n e r a t e d G r a p h s

Density Functions

Normal Distribution

$$
f(x) = \frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2} \qquad \mu \in \mathbb{I}
$$

$$
\sigma \in \mathbb{R}
$$

Log-Normal Distribution

$$
\mu \in \mathbb{R}
$$
\n
$$
\sigma \in \mathbb{R}_{+}
$$
\n
$$
f(x) = \frac{1}{x\sigma\sqrt{2\pi}}e^{-\frac{1}{2}\left(\frac{\log(x)-\mu}{\sigma}\right)^{2}} \qquad \mu \in \mathbb{R}
$$
\n
$$
\sigma \in \mathbb{R}_{+}
$$

1

 $b-a$

Exponential Distribution

$$
f(x) = \lambda e^{-\lambda x} \qquad \qquad \lambda \in \mathbb{R}_+
$$

Uniform Distribution

 $f(x) =$

$$
a, b \in \mathbb{R}
$$

$$
a < b
$$

 $\frac{z}{z}$

 Ω \mathbf{z} \blacktriangleright $\mathbf{\overline{v}}$ \mathbf{r} Ω \triangleright \mathfrak{c} $S I F I$ $\overline{\mathbf{m}}$ \mathbf{z}

G R A P H

C L A S S I F I E R

25

J A N

2 3 ,

$$
A_{\text{max}} = \frac{1}{\sqrt{2}} \sum_{i=1}^{n} \frac{1}{\sqrt{2}} \
$$

Generated Graphs Overview

Different Image Dimensions

32x32 153x115 115x186

Norm Distributions 32x32

norm_1.jpg

norm 1000.jpg

norm 1003.jpg

norm_0.jpg

norm 100.jpg

norm_1002.jpg

 \overline{z}

 $\overline{}$

M E T HO D S

G e n e r a t e d G r a p h s

Pre-identifying possible misclassifications **Log-Normal vs. Normal Graphs**

W hich graph has the log -norm al distribution?

J A N 2 3 , 2 0 2 4

N N

<u>ଜ</u> $\pmb{\pi}$ \blacktriangleright $\mathbf{\overline{v}}$

G R A P H

C L A S S I F I E R

 $\frac{1}{2}$ \triangleright \overline{a} \overline{a} \mathbf{u} $\mathbf m$ \mathbf{z}

27

METHODS

M E T HO D S

Overview of how the goals were accomplished

- Reviewed literature available on ANNs and CNNs
- Familiarized myself with TensorFlow, Keras, and Pillow (Python library for images)

N
Z

ഩ

G R A P H

C L A S S I F I E R

29

J A N

 ω

- Found natural images (CIFAR) and scraped images (SCP)
- Generated graph dataset (GEN) in 32x32, 115x86, 153x115
- Trained Simple Graph Classifiers using CIFAR, SCP, GEN datasets
- Evaluated models using untrained images
- Trained Distribution Graph Classifiers using 32x32, 115x86, 153x115
- Evaluated models to see where they misclassified
- Tested untrained images with 153x115

M E T HO D S

Feed - Forward Neural Networks

Figure 4.1. An example of a feed-forward network having two layers of adaptive weights. The bias parameters in the first layer are shown as weights from an extra input having a fixed value of $x_0 = 1$. Similarly, the bias parameters in the second layer are shown as weights from an extra hidden unit, with activation again fixed at $z_0 = 1$.

"We shall view feed-forward neural networks as providing a general framework for representing non -linear functional mappings between a set of input variables and a set of output variables."

[Bishop, 117]

Three main parts for a neural network:

M ET HO DS

Feed-Forward ANN [Bishop, 116-119]

Output of the hidden-unit Output of the network

$$
a_j = \sum_{i=1}^{d} w_{ji}^{(1)} x_i + w_{j0}^{(1)} \quad \text{d: inputs}
$$

 $w_{ji}^{(1)}$ weight in first layer $w_{j0}^{(1)}$ bias for hidden unit j

∙ *activation function*

 $z_j = g(a_j)$

$$
a_k = \sum_{j=1}^{M} w_{kj}^{(2)} z_i + w_{k0}^{(2)}
$$
 M: Hidden-Units

Complete function for figure 4.1 $\widetilde{g}(\cdot)$ activation function for the output units

$$
a_k = \tilde{g}\left(\sum_{j=1}^M w_{kj}^{(2)} g\left(\sum_{i=1}^d w_{ji}^{(1)} x_i\right)\right)
$$

kth output unit $y_k = \tilde{g}(a_k)$

31

 \mathbf{z}

J A N

2 3 ,

M E T HO D S CNN, TensorFlow, and Python

ANN vs. CNN

The biggest difference between CNNs (convolutional neural networks) and ANNs (artificial neural networks) is that they are mostly used in image classification.

CNNs enable encoded image-specific features into the architecture (location + color), making the network more suited for image-focused tasks while also reducing the parameters required to set up the model.

[O'Shea et al.]

N
 N
 N

<u>ດ</u> $\pmb{\pi}$

G R A P H

 Ω

C L A S S I F I E R

J A N

2 3 ,

M E T HO D S

CNN, TensorFlow, and Python

N N

G R A P H

C L A S S I F I E R

33

J A N

2 3 ,

Convolutional Neural Network

Layer by layer overview of using CNN to classify a car

[CS231n]

N N G R A P H C L A S S I F I E R 34**J A N 2 3 , 2 0 2 4**

M E T HO D S CNN, TensorFlow, and Python

CNN Summary Layers of CNNs:

- 1. Input layer take pixel values of image (HEIGHT, WIDTH, RGB)
- 2. Convolutional layer determines the output of neurons of which are connected to local regions of the input through the calculation of the scalar product between their weights and the region connected to input volume
	- *Rectified linear unit (ReLu)* aims to apply an 'elementwise' activation function such as sigmoid to the output of the activation produced by the previous layer
- 3. Pooling layer downsampling along the spatial dimensionality of the given input, reducing number of parameters within that activation
- 4. Fully-connected layers (output layer) performs the same duties found in standard ANNs and attempts to produce class scores from the activations to be used for classification

M E T HO D S CNN, TensorFlow, and Python

How to Understand CNN?

…first understand the input.

Images have a shape of (X, Y, RGB) where RGB determines the color. Each color consist of a combination of red, green and blue.

35

 $\overline{\mathbf{m}}$ \mathbf{z}

J A N

2 3 ,

M E T HO D S CNN, TensorFlow, and Python

Dimensions and RGB

Now we can look at the shape.

We are working with tensors instead of matrices now.

(((255, 255, 255), (0, 0, 0)) , ((0, 0, 0), (255, 255, 255)))

 $\frac{z}{z}$

36

Image Quiz

Can you correctly write out this image as a tensor?

Also, what is its shape?

Convolutional Layer

The original image gets transformed layer by layer from the original pixel values to the final class scores.

By the output layer the full image will be reduced into a single vector of class scores, arranged along the depth dimension.

Example:

The final output layer for CIFAR -10 would have dimensions of 1x1x10.

Left: A regular 3-layer Neural Network. Right: A ConvNet arranges its neurons in three dimensions (width, height, depth), as visualized in one of the layers. Every layer of a ConvNet transforms the 3D input volume to a 3D output volume of neuron activations. In this example, the red input layer holds the image, so its width and height would be the dimensions of the image, and the depth would be 3 (Red, Green, Blue channels).

[CS231n]

Most Important Parts:

- ➢ **Filter – number of output filters**
- ➢ **Kernel – size of the filter**
- ➢ **Stride – number of pixels the kernel slides**
- ➢ **Padding – how zeros are added**

38

N N

G R A P H

C L A S S I F I E R

Convolutional Layer

Output Volume Size =
$$
\frac{(W - F + 2P)}{S} + 1
$$

W := input volume size F := receptive field size (kernel) P := amount of zero padding S := stride of filter $K :=$ filter count

Example:

 $P = 1$

Width $= 5$ Height $= 5$ $RGB = 3$ $K = 2$ $F = 3$ $S = 2$ $OVS =$ $5 - 3 + 2 \cdot 1$ 2 $+1=3$

N
 N
 N

 Ω \overline{z}

G R A P H

C L A S S I F I E R

39

 $\overline{\mathbf{z}}$

 $\boldsymbol{\omega}$

Rectified Linear Units (ReLU)

Figure 1: The Rectified Linear Unit (ReLU) activation function produces 0 as an output when $x < 0$, and then produces a linear with slope of 1 when $x > 0$.

$f(x) = x^+ = max(0, x) = \frac{x + |x|}{2}$

Why ReLu?
 \triangleright eliminates complex calculations
 \triangleright reduces processing demands
 \triangleright model can learn in less time
 \triangleright promotes sparsity

Sparsity refers to a scenario where r

in a 2 $=$ $\{$ x if $x > 0$, 0 otherwise,

N N

G R A P H

C L A S S I F I E R

40

J A N

2 3 ,

Why ReLu ?

- \triangleright eliminates complex calculations
- \triangleright reduces processing demands
- \triangleright model can learn in less time
- \triangleright promotes sparsity

Sparsity refers to a scenario where most of the cell entries

[Agarap]

Max Pooling

The feature map output of convolutional layers record the precise position of features in the input. *Small movements in the position of the feature will result in a different feature map.*

Downsampling:

- \triangleright lower resolution version of an input signal is created
- \triangleright contains the large or important structural elements without the fine detail that may not be as useful

[Brownlee]

Maximum pooling calculates the maximum, or largest, value in each patch of each feature map.

 $\textit{MP} = \textit{max}(f_i) \ \textit{for} \ \textit{i} = 1, ..., \textit{F}$ feature map patches

The **cross-entropy loss function** in classification calculates how accurate our machine learning or deep learning model is by defining the difference between the estimated probability with our desired outcome.

Binary Cross-Entropy Loss

Only two classes

$$
BCELL = -\frac{1}{N} \sum_{i=1}^{N} (y_i log(p_i) + (1 - y_i) log(1 - p_i))
$$

Categorical Cross-Entropy Loss

More than two classes

$$
CCEL = -\frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{C} y_{i,j} \cdot \log(p_{i,j})
$$

C := number of classes

N := number of rows

 $y :=$ indicator if class label j is the correct classification for observation i

p := predicted probability observation i is of class j

[The 365 Team]

N N

G R A P H

C L A S S I F I E R

42

J A N

2 3 ,

Adam Optimizer

"…an algorithm for first-order gradientbased optimization of stochastic objective functions, based on adaptive estimates of lower-order moments [Kingma et al.]."

Used to minimize the loss function. $\alpha \coloneqq$ learning rate $\beta_1 \coloneqq \text{beta one}$ $\beta_2 \coloneqq \text{beta two}$ ε = epsilon

Pros:

- only requires first-order gradients
- little memory requirement

minimizes the loss function during the training of neural networks

N N

G R A P H

C L A S S I F I E R

43

J A N

2 3 ,

Algorithm 1: Adam, our proposed algorithm for stochastic optimization. See section 2 for details, and for a slightly more efficient (but less clear) order of computation. q_t^2 indicates the elementwise square $g_t \circ g_t$. Good default settings for the tested machine learning problems are $\alpha = 0.001$. $\beta_1 = 0.9$, $\beta_2 = 0.999$ and $\epsilon = 10^{-8}$. All operations on vectors are element-wise. With β_1^t and β_2^t we denote β_1 and β_2 to the power t. **Require:** α : Stepsize **Require:** $\beta_1, \beta_2 \in [0, 1)$: Exponential decay rates for the moment estimates **Require:** $f(\theta)$: Stochastic objective function with parameters θ **Require:** θ_0 : Initial parameter vector $m_0 \leftarrow 0$ (Initialize 1st moment vector) $v_0 \leftarrow 0$ (Initialize 2nd moment vector) $t \leftarrow 0$ (Initialize timestep) while θ_t not converged do $t \leftarrow t + 1$ $g_t \leftarrow \nabla_{\theta} f_t(\theta_{t-1})$ (Get gradients w.r.t. stochastic objective at timestep t) $m_t \leftarrow \beta_1 \cdot m_{t-1} + (1 - \beta_1) \cdot g_t$ (Update biased first moment estimate)
 $v_t \leftarrow \beta_2 \cdot v_{t-1} + (1 - \beta_2) \cdot g_t^2$ (Update biased second raw moment estimate) $\hat{m}_t \leftarrow m_t/(1-\beta_1^t)$ (Compute bias-corrected first moment estimate) $\hat{v}_t \leftarrow v_t/(1-\beta_2^t)$ (Compute bias-corrected second raw moment estimate) $\theta_t \leftarrow \theta_{t-1} - \alpha \cdot \hat{m}_t / (\sqrt{\hat{v}_t} + \epsilon)$ (Update parameters) end while

return θ_t (Resulting parameters)

[Kingma et al.]

T ENSO RF L O W + KERAS API

TensorFlow – end-to-end platform for building ML models

Keras – deep learning API written in Python (compatible with TensorFlow)

https://www.tensorflow.org/api_docs/python/tf

J A N

44

2 3 ,

 \circ $\overline{\mathbf{v}}$

https://keras.io/api/

M E T H O D S

CNN, TensorFlow, and Python

matpl&tlib @pillow

PY T H O N + L I B R A R I E S

NumPy – math + ndarray + random

pandas – data handling

Matplotlib – graphing

Pillow – image processing (TensorFlow returns PIL.Image)

https://numpy.org/doc/stable/reference/index.html

https://pandas.pydata.org/docs/reference/index.html

https://matplotlib.org/stable/index.html

i: pandas

https://pillow.readthedocs.io/en/stable/

 \overline{z}

 $\overline{\mathbf{v}}$

M E T HO D S

CNN, TensorFlow, and Python

Library Versions

Other Programs Used

Visual Studio Code (code editor)

Anaconda (Python environments)

Jupyter Notebook (interactive code)

N N

M ET HO DS

Simple Graph Classifiers

https://github.com/p-spohr/NN-Graph-Classifier/tree/main/classifiers/simple_graph_classifiers

¥
z

47

J A N 2 3 ,

> $\boldsymbol{\kappa}$ $\overline{\mathbf{c}}$ \blacktriangle

<u>e de la</u>

M E T HO D S Simple Graph Classifiers

1: Model 1 Same model for simple graph classifiers and distribution graph classifiers.

```
model = Sequential(f)# Standardize values to be in the [0, 1] range by using tf.keras.layers.Rescaling
    layers.Rescaling(1./255, input_shape=(IMG_HEIGHT, IMG_WIDTH, 3)),
    layers.Conv2D(16, 3, padding='same', activation='relu'),
    layers.MaxPooling2D(),
    layers.Conv2D(32, 3, padding='same', activation='relu'),
    layers.MaxPooling2D(),
    layers.Conv2D(64, 3, padding='same', activation='relu'),
    layers.MaxPooling2D(),
    layers.Flatten(),
    layers.Dense(128, activation='relu'),
    layers.Dense(num_classes)
ן נ
```
"same" results in padding with zeros evenly to the left/right or up/down of the input.

C L A S S I F I E R

48

J A N

2 3 ,

 $\overline{\mathbf{z}}$

Load image datasets

tf.keras.utils.image_dataset_from directory(

```
directory,
```

```
labels='inferred', # subfolder names
```

```
label_{max} a b e l _ m o d e = 'int',
```

```
class names=None,
```

```
color_{mod}e='rgb', # jpg has no alpha
```

```
batch size = 32,
```

```
image_size = (32, 32), # (height, width)
```

```
shuffle=True,
```

```
s e e d = N o n e,
```

```
validation split=None, # 0-1 for validation
subset='both', # 'both' returns ('train', 'val')
interpolation='bilinear',
```

```
follow links = False,
```

```
crop to aspect ratio=False,
```

```
 * * k w a r g s
```
CIFAR_SCP_1 & CIFAR_GEN_1

) *https://www.tensorflow.org/api_docs/python/tf/keras/utils/image_dataset_from_directory*

 \bullet \mathbf{N}

M E T HO D S

Simple Graph Classifiers

Code Steps Overview *Similar steps for all models except the datasets and targets are different*

1) Initialize constant parameters and directory path 2) Get dataset from directory path

dir path to folders (folder name == label) DATASET PATH = "C:\\Users\\pat h\\htw berlin datasets\\CIFAR GEN 1 DATASET" # choose image dimensions BATCH_SIZE : $int = 32$ IMG_HEIGHT : int = 32 IMG WIDTH : $int = 32$

```
# choose data validation percentage, seed, and epochs
VAL SPLIT : int = 0.2
SEED : int = 123EPOCHS : int = 3
```

```
model = Sequential(f)# Standardize values to be in the [0, 1] range by using tf.keras.layers.Rescaling
    layers. Rescaling(1./255, input shape=(IMG HEIGHT, IMG WIDTH, 3)),
   layers.Conv2D(16, 3, padding='same', activation='relu'),
    layers.MaxPooling2D(),
   layers.Conv2D(32, 3, padding='same', activation='relu'),
    layers.MaxPooling2D(),
   layers.Conv2D(64, 3, padding='same', activation='relu'),
   layers.MaxPooling2D(),
    layers.Flatten(),
    layers.Dense(128, activation='relu'),
    layers. Dense(num classes)
```
get training dataset and validation dataset from directory path train_ds, val_ds = tf.keras.utils.image_dataset_from_directory(DATASET_PATH, validation split=VAL SPLIT, labels='inferred', subset='both', seed=SEED, image_size=(IMG_HEIGHT, IMG_WIDTH), batch_size=BATCH_SIZE

3) Build model **EXECUTE:** All Compile and fit model to data

```
model.compile(optimizer='adam',
```
loss=tf.keras.losses.SparseCategoricalCrossentropy(from logits=True), metrics=['accuracy'])

N N

G R A P H

C L A S S I F I E R

51

J A N

 $\boldsymbol{\omega}$

```
# returns History object
fitted model = model.fit(train ds,
    validation data=val ds,
    epochs=EPOCHS
```
https://github.com/p-spohr/NN-Graph-Classifier/blob/main/classifiers/simple_graph_classifiers/CIFAR_GEN_1.py

 $\overline{}$, and the set of the s

Total params: 155,042 Trainable params: 155,042 Non-trainable params: 0

====================================

53 **M ET HO DS Distribution Graph Classifiers** DIST = distribution classifier $*$ WIDTH x HEIGHT = dimensions of image $1 =$ Model 1 $Total = 8000$ Train = 6400 $Val = 1600$ DIST_32x32_1 $x = 32x32$ images DIST_115x86_1 $x = 115x86$ images DIST_153x115_1 x = 153x115 images y = [exp, lognorm, norm, unif] **Input**

*IMPORTANT: dimensions are reversed in TensorFlow input_shape = (HEIGHT, WIDTH)

https://github.com/p-spohr/NN-Graph-Classifier/tree/main/classifiers/distribution_graph_classifiers

2 0 2 4 N N G R A P H C L A S S I F I E R \triangleright $\overline{\mathbf{z}}$

⋤ \mathbf{z} <u>ଜ</u> $\overline{\mathbf{z}}$

œ, Ω

J A N

2 3 ,

 \mathbf{v} \circ \mathbf{N}

RESULTS

Simple Graph Classifiers

Distribution Graph Classifiers

CIFAR_SCP_1 CIFAR_GEN_1

GEN_SCP_1

CIFAR_GEN_SCP_1

DIST_32x32_1 DIST_115x86_1 DIST_153x115_1 **N N**

G R A P H

C L A S S I F I E R

55

SIMPLE GRAPH CLASSIFIERS

 $\frac{z}{z}$

 Ω \mathbf{z} \triangleright ᅮ 工 Ω ъ

G R A P H

C L A S S I F I E R

m \mathbf{z}

56

J A N

2 3 ,

≣

R E S U L T S

C I F AR _ S C P_ 1

Natural Images and Scraped Graphs

High validation accuracy after 3 epochs

 $\overline{\mathbf{m}}$ \mathbf{z}

J A N

57

2 3 ,

 \mathbf{N}

 \circ $\overline{\mathbf{M}}$ \blacktriangle

C I F AR _ G E N_ 1

Natural Images and Generated Graphs (my graphs)

Even my generated graphs can be classified accurately

J A N

2 0 2 4 N N G R A P H C L A S S I F I E R

 \mathbf{z} \mathbf{z} Ω $\pmb{\pi}$ \triangleright ъ \mathbf{r}

 Ω

 \triangleright \overline{a}

 \mathfrak{c}

 $\overline{\mathbf{m}}$

 $\mathbf m$

 \mathbf{z}

58

2 3 ,

 \mathbf{N}

 \circ \sim \blacktriangle

G E N_ S C P_ 1

Generated Graphs and Scraped Graphs

This was surprising! The generated graphs are quite

distinguishable from the scraped graphs

 $\overline{\mathbf{m}}$ \mathbf{z}

 \mathbf{z}

 \circ $\bar{\mathbf{v}}$ \blacktriangle

C I F AR _ G E N_ S C P_ 1

Natural Images, Generated Graphs, and Scraped Graphs

For good measure –a model to classify all three

J A N

2 0 2 4 N N G R A P H C L A S S I F I E R

 \mathbf{z} \mathbf{z} Ω $\pmb{\pi}$ \triangleright ъ \mathbf{r}

 Ω

 \triangleright \mathfrak{c}

 \bullet

 $\overline{\mathbf{m}}$

 $\overline{\mathbf{m}}$ \mathbf{z}

60

2 3 ,

 \mathbf{N}

 \circ \sim

EVALUATIONS

Can the models predict if an image from the other graph dataset is a graph or not?

Generated Graphs in CIFAR_SCP_1 Scraped Graphs in CIFAR_GEN_1

Accuracy: 80.9375% Accuracy: 37.2243%

Best case is 100% accuracy

N N

<u>ଜ</u> $\overline{\mathbf{z}}$

G R A P H

 \mathbf{r} Ω \triangleright

C L A S S I F I E R

61

J A N

2 3 ,

When graphs from the scraped dataset are put into the CIFAR_GEN_1, it predicts most of them are natural images.

E V AL U AT I O NS

Falsely Labeled Generated Graphs in CIFAR_SCP_1

What does this mean?

Graphs with a uniform distribution were most often labelled as a natural image.

62

 \mathbf{z}

J A N

2 3 ,

MISCLASSIFICATION AS NATURAL

Misclassified Exp

Misclassified Lognorm

 $\overline{\mathbf{z}}$

lognorm_237 lognorm_544 lornorm_918 lognorm_1344

MISCLASSIFICATION AS NATURAL

Misclassified Norm

Misclassified Unif

64

 \mathbf{z}

unif_18 unif_352 unif_763 unif_1436

DISTRIBUTION GRAPH CLASSIFIERS

R E S U L T S

m $\overline{\mathbf{z}}$

J A N 2 3 , 2 0 2 4

≣

D I S T _ 32X32_ 1

Distribution Graphs of Dimension 32x32

N N

G R A P H

C L A S S I F I E R

66

J A N

 $\boldsymbol{\omega}$

The model struggled more to classify the graphs, but still managed almost 80% validation accuracy after 10 epochs

D I S T _ 115X8 6_ 1

Distribution Graphs of Dimension 115x86

N N

G R A P H

C L A S S I F I E R

67

J A N

2 3 ,

Increasing the quality of the image greatly increased accuracy

D I S T _ 153X1 15_ 1

Distribution Graphs of Dimension 115x86

Diminishing return in regards of image quality since the validation accuracy only improved by 0.5% to 93.5% from the 115x86 images.

N N

G R A P H

C L A S S I F I E R

68

J A N

2 3 ,

EVALUATION OVERVIEW

The model can't consistently classify ~7% of the images when validating. What are the images that are getting misclassified? Accuracy is 96.63% with a total of 270 misclassifications

Exp in DIST_153x115_1

Accuracy: 92.55% Accuracy: 96.25%

Norm in DIST_153x115_1

Lognorm in DIST_153x115_1

Accuracy: 98.00% Accuracy: 99.70%

 $\overline{\mathbf{z}}$

M I S C L AS S I F I C AT I O NS

What does this mean?

Graphs with an exponential distribution were most often labelled incorrectly.

 $\overline{\mathbf{m}}$ \mathbf{z}

Misclassified Counts of Unif in DIST_153x115_1

 $\overline{\mathbf{m}}$ $\bar{\mathbf{z}}$

71

MISCLASSIFICATION RESULTS CSV

In order to understand the results better I created a CSV with relevant information. *Here is the misclassification of exponential distribution graphs as lognormal.*

Ending prediction weights per class Correct? File name Labeled based on max

MISCLASSIFICATION OF EXP AS LOGNORM

 $\frac{z}{z}$

 Ω $\overline{\mathbf{z}}$

G R A P H

 $\mathbf{\overline{v}}$ \mathbf{r}

 Ω

ъ

C L A S S I F I E R

 \overline{a}

73

J A N

2 3 ,

MISCLASSIFICATION OF NORM AS LOGNORM

norm_53 = 6.7 prediction norm_193 = 8.9 norm_194 = 7.5 norm_1082 = 11.6

 \blacksquare

 $\bar{\mathbf{z}}$

MISCLASSIFICATION OF LOGNORM AS NORM

lognorm_520 = 9.1 prediction lognorm_710 = 11.5 lognorm_972 = 6.2 lognorm_1301 = 10.6

75

 $\overline{\mathbf{z}}$

J A N 2 3 , 2 0 2 4

MISCLASSIFICATION OF UNIF

Not very surprising that these graphs are labeled seemingly randomly since they are mostly blank. But it is impressive that there are only 6 misclassified unif graphs considering the amount that look like these.

N
 N
 N

In order to truly evaluate my generated graphs and models, I needed to use graphs that were not used before.

Test images in DIST_153x115_1

Accuracy: 59.091%

Best case is 100% accuracy

Most incorrectly classified graphs were misclassified as lognorm

J A N

2 3 ,

Misclassified Exp Graphs *40% of exp graphs were misclassified as lognorm*

Misclassified Lognorm Graphs

exp_hand_0

Only two misclassifications of lognorm graphs

 $\frac{z}{z}$

 Ω \mathbf{z} \triangleright $\mathbf{\overline{v}}$ \mathbf{r} Ω

G R A P H

C L A S S I F I E R

 \blacksquare

13.159173 -28.154154 13.159173 norm_hand_0.jpeg

ĸ

True

norm norm

Misclassified

Correctly Predicted **Correctly Predicted**

 -16.542665

65

8.398274

79

 \mathbf{z}

J A N 2 3 , 2 0 2 4

Misclassified Unif Graphs

N N

 Ω $\pmb{\pi}$ \blacktriangleright $\mathbf{\overline{v}}$ \mathbf{r} Ω \blacksquare \blacktriangleright \bullet

G R A P H

C L A S S I F I E R

 $S I F I E R$

J A N

2 3 ,

CONCLUSION

C O NC L U S I O N

Overall Goals Accomplished

- can successfully identify graphs from natural images with greater than ~98% accuracy
- can successfully identify graphs with different distribution types with ~93% accuracy

Some Surprising Results

- scraped graphs in CIFAR GEN 1 are misclassified as natural images ~63% of the time
	- This enforces my idea that many of the images in SCP were more 'graph-like' and not graphs
- unif in DIST 153x115 1 were classified accurately ~99% of the time, but 20% of unif graphs in CIFAR_SCP_1 were misclassified as natural images
	- Graphs with the uniform distribution were very unique from the other distribution graphs but not very unique from natural images

82

C O NC L U S I O N

More Preprocessing Considerations to Improve Results

- tf.keras.layers.RandomBrightness()
- tf.keras.layers.RandomContrast()
- tf.keras.layers.RandomCrop()
- tf.keras.layers.RandomFlip()
- tf.keras.layers.RandomRotation()

 $random_bright = tf. keras. layers. RandomBrightness(factor=0.2)$

An image with shape [2, 2, 3] image = $[[1, 2, 3], [4, 5, 6]], [[7, 8, 9], [10, 11, 12]]]$

Assume we randomly select the factor to be 0.1, then it will apply # $0.1 * 255$ to all the channel output = random_bright(image, training=True)

N N

G R A P H

C L A S S I F I E R

83

J A N

2 3 ,

output will be int64 with 25.5 added to each channel and round down. tf.Tensor([[[26.5, 27.5, 28.5] $[29.5, 30.5, 31.5]$ $[32.5, 33.5, 34.5]$ $[35.5, 36.5, 37.5]$] shape= $(2, 2, 3)$, dtype=int64)

```
model = tf. keras. Sequential()layers. Re scaling (1./255,# add more randomness to images after rescaling
] )
```
C O NC L USIO N

Another common CNN architecture is to stack two convolutional layers before each pooling layer, as illustrated in Figure 5. This is strongly recommended as stacking multiple convolutional layers allows for more complex features of the input vector to be selected.

Fig. 5: A common form of CNN architecture in which convolutional layers are stacked between ReLus continuously before being passed through the pooling layer, before going between one or many fully connected ReLus.

F u r t h e r R e s e a r c h a n d I m p r o v e m e n t

- Change model structure
- Use more images to train models
- Improve generated graphs
- Add more distributions
- Use entire reports as input and identify pages with graphs on them

D I S T _ 32X32_ 2

Distribution Graphs of Dimension 32x32

By doubling the number of filters in the convolution layers to see minor improvements after but we start to run into the issue of overfitting

79.25% for DIST_32x32_1 After 10 Epochs.

N N

G R A P H

C L A S S I F I E R

85

J A N

 $\boldsymbol{\omega}$

REF ERENC ES (1/4)

Abadi, M., Barham, P., Chen, J., Chen, Z., Davis, A., Dean, J., . . . Google Brain. (2016). TensorFlow: A system for large-scale machine learning. 12th USENIX Symposium on Operating Systems Design and Implementation (pp. 265-283). Savannah, GA, USA: USENIX Association.

Agarap, A. F. (2019). Deep Learning using Rectified Linear Units (ReLU). San Diego: 3rd International Conference for Learning Representations. Retrieved from https://arxiv.org/abs/1803.08375

Bishop, C. M. (1995). Neural Networks for Pattern Recognition. Oxford: Clarendon Press. Retrieved from https://www.microsoft.com/en-us/research/uploads/prod/2006/01/Bishop-Pattern-Recognition-and-Machine-Learning-2006.pdf

Brownlee, J. (2019, July 05). A Gentle Introduction to Pooling Layers for Convolutional Neural Networks. Retrieved from Machine Learning Mastery: https://machinelearningmastery.com/pooling-layers-forconvolutional-neural-networks/

Clark, A. (2015). Pillow (PIL Fork) Documentation. readthedocs. Retrieved from https://buildmedia.readthedocs.org/media/pdf/pillow/latest/pillow.pdf

N N

REF ERENC ES (2/4)

CS231n. (2023). (Stanford University) Retrieved January 2024, from Convolutional Neural Networks for Visual Recognition: https://cs231n.github.io/convolutional-networks/

Giskard. (n.d.). Rectified Linear Unit (ReLU). Retrieved from Giskard: https://www.giskard.ai/glossary/rectified-linear-unit-relu

Harris, C. R., Millman, K. J., van der Walt, S. J., Gommers, R., Virtanen, P., Cournapeau, D., … Oliphant, T. E. (2020). Array programming with NumPy. Nature, 585, 357–362. https://doi.org/10.1038/s41586-020-2649-2

Hunter, J. D. (2007). Matplotlib: A 2D graphics environment. Computing in Science & amp; Engineering, 9(3), 90–95.

Kamakshi, V., & Krishnan, N. C. (2023, August 1). Explainable Image Classification: The Journey So Far and the Road Ahead. 4, 620–651. Retrieved from https://doi.org/10.3390/ai4030033

Kingma, D. P., & Ba, J. L. (2015). Adam: A Method for Stochastic Optimization. ICLR. Retrieved from https://arxiv.org/abs/1412.6980

N N

REF ERENC ES (3/4)

Krizhevsky, A., Nair, V., & Hinton, G. (2009). The CIFAR-10 dataset. Retrieved from Canadian Institute For Advanced Research: https://www.cs.toronto.edu/~kriz/cifar.html

Kumar, P., & Codicals. (2021, August 24). Max Pooling, Why use it and its advantages. Retrieved from Medium: https://medium.com/geekculture/max-pooling-why-use-it-and-its-advantages-5807a0190459

Li, L. (2018, March 23). Data Visualization. Retrieved from Medium: https://medium.com/@Lynia_Li/as-youknow-there-are-many-types-of-charts-to-be-used-in-data-visualization-54da9b97092e

McDonald's. (2022). 2022 Annual Report. Retrieved from https://corporate.mcdonalds.com/content/dam/sites/corp/nfl/pdf/MCD_2023_Annual_Report.pdf

McKinney, W., & others. (2010). Data structures for statistical computing in python. In Proceedings of the 9th Python in Science Conference (Vol. 445, pp. 51–56).

O'Shea, K., & Nash, R. (2015). An Introduction to Convolutional Neural Networks. Aberystwyth University. ResearchGate. Retrieved from: https://doi.org/10.48550/arXiv.1511.08458

N N

REF ERENC ES (4/4)

SandhyaKrishnan02. (2023). An overview of probability distribution. Retrieved from Kaggle: https://www.kaggle.com/discussions/general/366492

SunEdition. (2021). Graphs Dataset. Retrieved from Kaggle: https://www.kaggle.com/datasets/sunedition/graphs -dataset

The 365 Team. (2023, June 15). What Is Cross -Entropy Loss Function? Retrieved from 365DataScience: https://365datascience.com/tutorials/machine -learning -tutorials/cross -entropy -loss/

THANK YOU

Patrick Spohr HTW Berlin – FAR Master's Deep Learning Seminar Prof Dr Alla Petukhina

ANS W E R

Image Quiz

(((0, 0, 255), (0, 255, 0), (255, 255, 255)) , ((255, 0, 0), (0, 0, 255), (255, 0 , 0)) , ((0, 0, 0), (255, 255, 255), (0, 255, 0))) **(3, 3, 3)**

K

91

J A N

2 3 ,